

High Fidelity, Large Scale Modeling and Simulation

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Outline

Hypothesis

ESS System Evolution

Computational Platform

Software Component

Hardware Component

ESS Case Study

High Fidelity, 3D Models

Behavior for Short Period Motions

Behavior in Long Period Motions

Summary

ESS Hypothesis

- ▶ NEHRP-94 seismic code states that: *"These [seismic] forces therefore can be evaluated conservatively without the adjustments recommended in Sec. 2.5 [i.e. for SS interaction effects]"*.
- ▶ Flexibility (elastic) of foundations and soils modifies dynamic properties of the SS system (Gazetas and Mylonakis)
- ▶ Reduction in stiffness (elasto–plasticity) of the SS system modifies those dynamic properties even more so
- ▶ Earthquake intensity increase, SS system period is elongated
- ▶ Earthquake period and SS period might (will) coincide

ESS System Energy Balance

- ▶ Energy balance: input (seismic) and dissipated (inelasticity, radiation, coupling) will control the fate of ESS system
- ▶ If energy dissipation $>$ input \Rightarrow probably small damage
- ▶ If energy dissipation $<$ input \Rightarrow probably large damage

Modeling ESS System

- ▶ Structural response is a function of a tightly coupled triad of dynamic characteristic of
 - ▶ Earthquake
 - ▶ Soil
 - ▶ Structure
- ▶ Use detailed numerical models to analyze prototype models
- ▶ Detailed numerical models require advancement in
 - ▶ Modeling techniques
 - ▶ Computational (software) methodology
 - ▶ Computer hardware (accessible parallel computers)

Parallel Elastic–Plastic Finite Element Computations

- ▶ Current Parallel FEM are
 - ▶ Well developed for elastic FEM
 - ▶ Undeveloped for elastic–plastic FEM
 - ▶ Well developed for homogeneous distributed memory parallel (DMP) computers,
 - ▶ Undeveloped for multiple performance (multi–generation) DMPs
- ▶ Need: dynamic computational load balancing for
 - ▶ multiple element types,
 - ▶ multiple material models
 - ▶ multiple compute node performances
 - ▶ multiple network performances

Plastic Domain Decomposition (PDD) Method

- ▶ Multi-objective optimization problem (minimize both the inter-processor communications, the data redistribution costs and create balanced partitions)

- ▶ computational load balancing adds overhead

$$T_{overhead} := T_{comm} + T_{regen}$$

- ▶ T_{comm} data communication load depending on network conditions.
- ▶ T_{regen} model regeneration for new partitioning, application (model) dependent

PDD Optimization Model

- ▶ Computational load among CPUs

$$T_j := \sum_{i=1}^{nel} ElemCompLoad[i], \quad j = 1, \dots, nCPU$$

- ▶ Goal: minimize maximum compute time (slowest CPU)

$$T_{max} := \max(T_j) \quad j = 1, \dots, nCPU$$

- ▶ Total compute time (not wall clock time) $T_{sum} := \text{sum}(T_j)$

- ▶ Best execution time (perfect load balancing) $T_{best} := T_{sum}/nCPU$, $\Rightarrow T_j \equiv T_{best}$ for each $j = 1, \dots, nCPU$

- ▶ Best performance gain $T_{gain} := T_{max} - T_{best}$

- ▶ Computational load balancing is beneficial iff

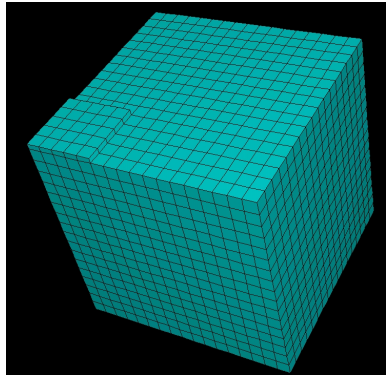
$$T_{gain} \geq T_{overhead} = T_{comm} + T_{regen}$$

PDD Implementation

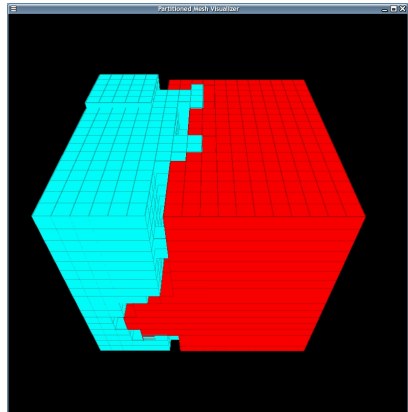
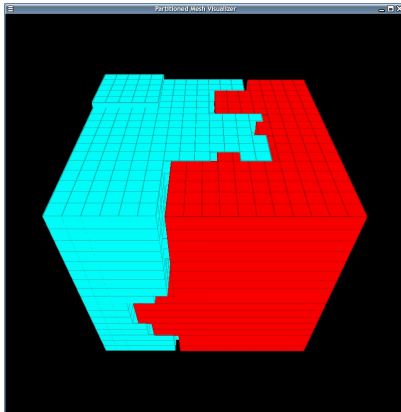
- ▶ ParMETIS dynamic graph partitioning libraries (Karypis et al.)
- ▶ PETSc solvers (Balay et al.)
- ▶ UCD upgraded OpenSees analysis model (Jie and Jeremić, McKenna)
- ▶ UCD CompGeoMech libraries (elements, material models, algorithms,...)
- ▶ Scalable to a large number of CPUs (2–1024 or more)
- ▶ Performance tuning and production runs on my cluster
GeoWulf (UCD), LongHorn (TACC) and DataStar (SDSC)

Simple PDD Example

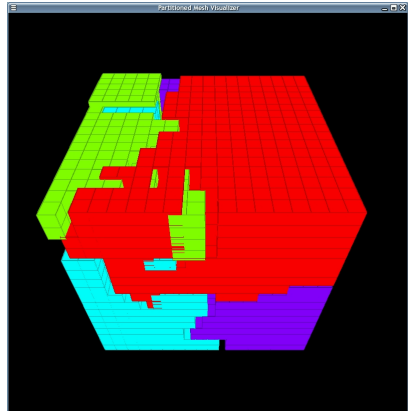
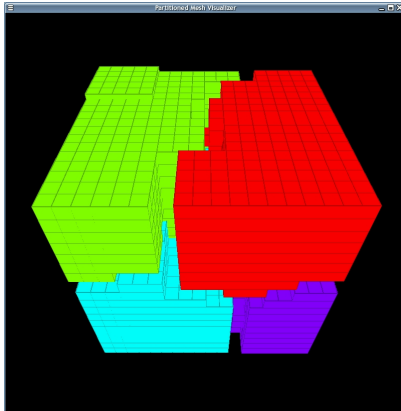
- ▶ FEM model for soil foundation Interaction (4,938 Elements, 17,604 DOFs)
- ▶ Elastic–plastic soil
- ▶ Mild evolution of elastic–plastic zone
- ▶ Minimizing data redistribution
- ▶ Allowing higher tolerance for edge-cut
- ▶ Imbalance tolerance 5 %



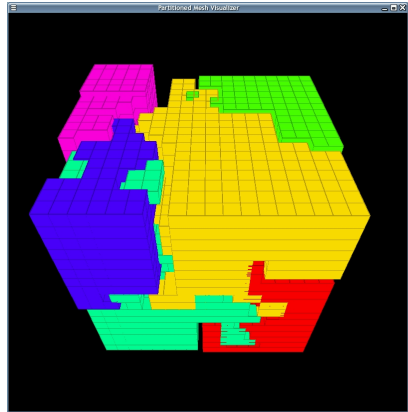
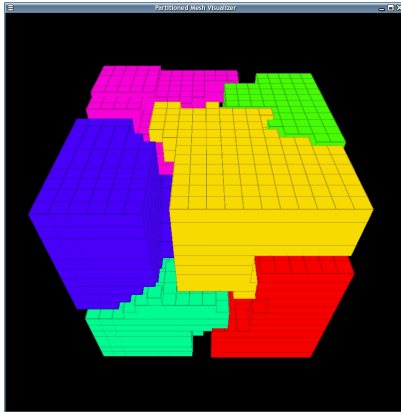
2 CPU PDD Partitioning–Repartitioning Example



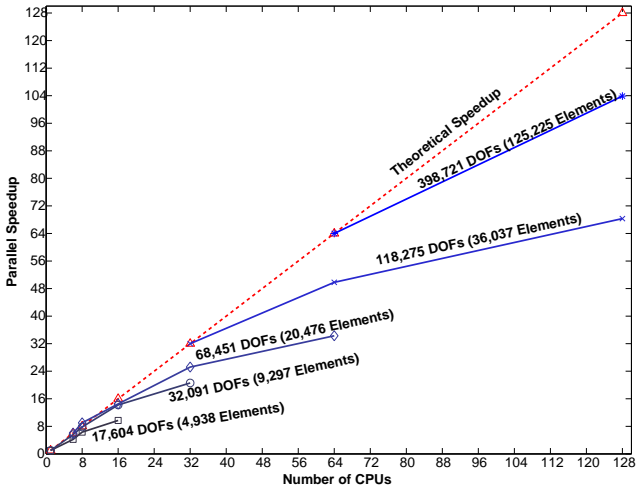
4 CPU PDD Partitioning–Repartitioning Example



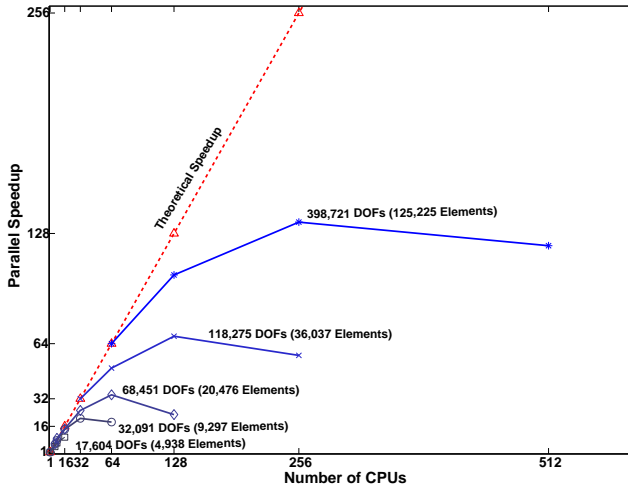
8 CPU PDD Partitioning–Repartitioning Example



Speedup Overview



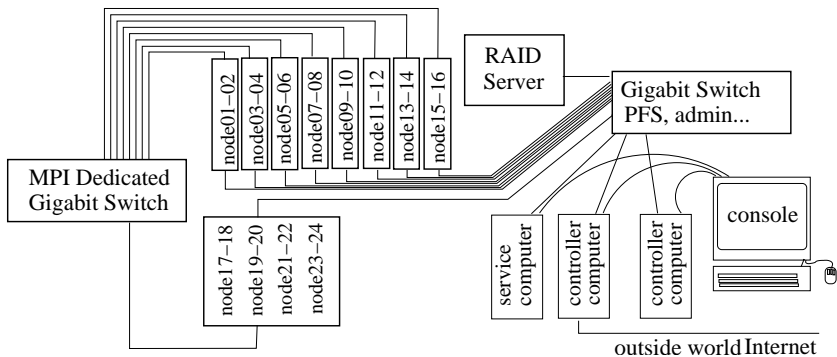
Speedup Overview



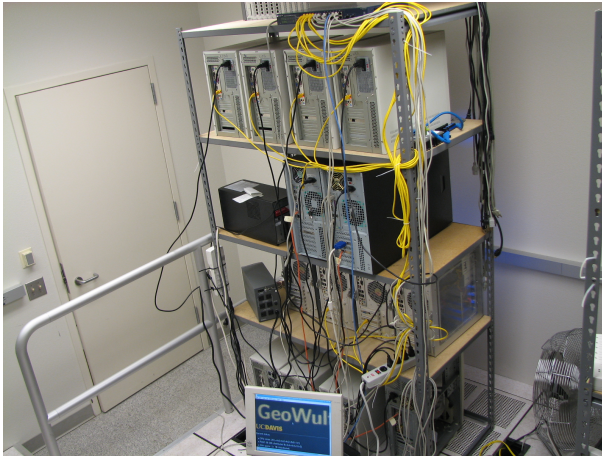
Parallel Supercomputer GeoWulf

- ▶ Distributed memory parallel computer
- ▶ Multiple generation compute nodes and networks
- ▶ Very cost effective!
- ▶ Same architecture as large parallel supercomputers (SDSC, TACC, EarthSimulator...)
- ▶ Local design, construction, available at all times!

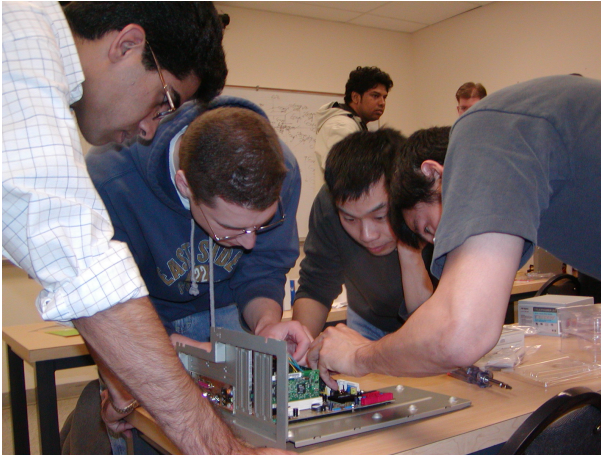
GeoWulf: Parallel Supercomputer Architecture



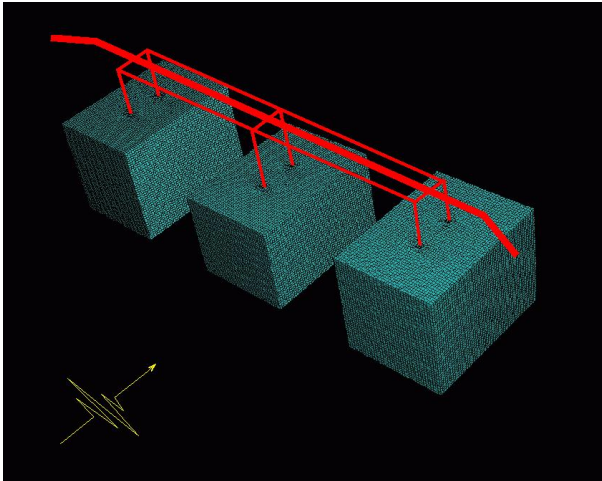
GeoWulf: Demystifying Parallel Supercomputing



GeoWulf: Local Development



Detailed 3D FEM Model (one of)



Model Components

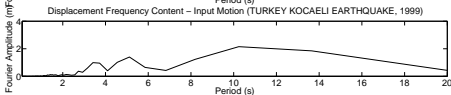
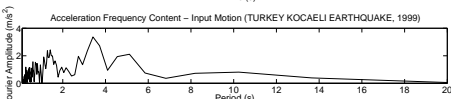
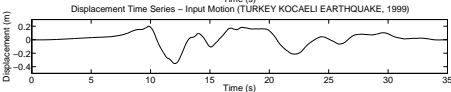
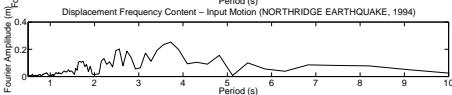
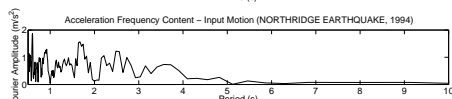
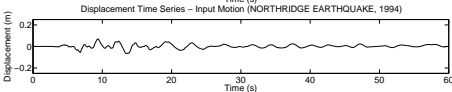
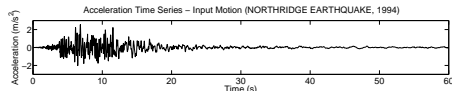
- ▶ Soils: elastic–plastic solids (yield potential surface Drucker-Prager, kinematic hardening Armstrong-Frederick) (UCD: Jie and Jeremić)
- ▶ Structure: non–linear beam–column elements (fiber element) (UCB: Fenves, UW: Eberhardt)
- ▶ Piles: non–linear beam–column elements (fiber element) (UCD: Jie and Jeremić)
- ▶ Two types of soil: stiff soil (UT, UCD), soft soil (Bay Mud)
- ▶ Use of the Domain Reduction Method (DRM) (Bielak et al.) for seismic input into FEM model

Modeling Issues

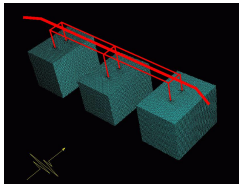
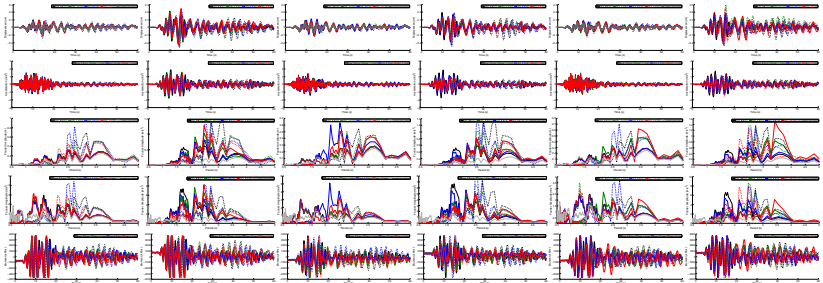
- ▶ Construction process
- ▶ Deconvolution of given surface ground motions
- ▶ No artificial damping (only mat. dissipation, radiation)
- ▶ Element size issues (filtering of frequencies)

elem. #	elem. size	f_{cutoff}	min. G^{ep}/G_{max}	γ
12K	1.00 m	10 Hz	1.0	<0.5 %
15K	0.90 m	>3 Hz	0.08	<1.0 %
150K	0.30 m	10 Hz	0.08	<1.0 %
500K	0.15 m	10 Hz	0.02	<5.0 %

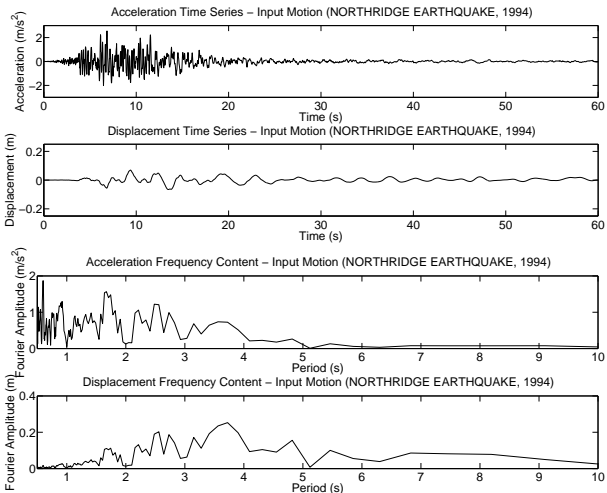
Northridge and Kocaeli Input Motions



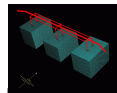
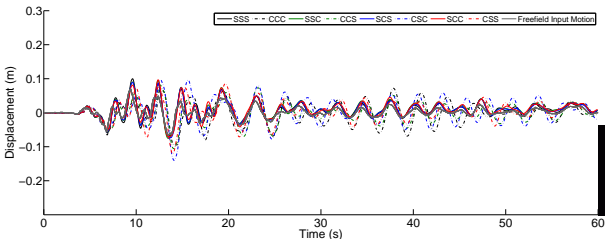
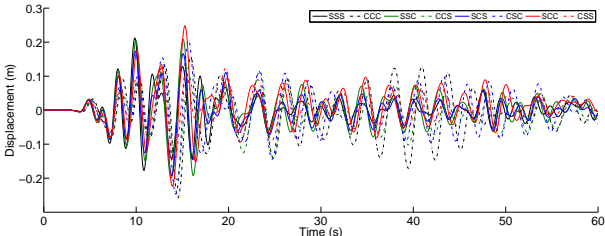
Simulation Results



Northridge Input Motions

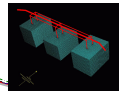
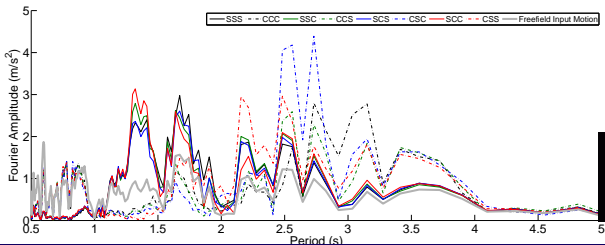
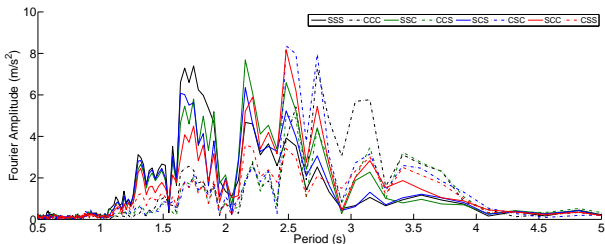


Short Period E.: Left Bent, Structure and Soil, Disp.

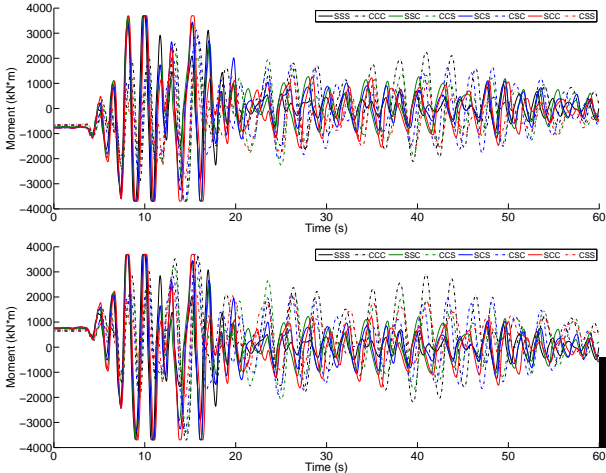


Behavior for Short Period Motions

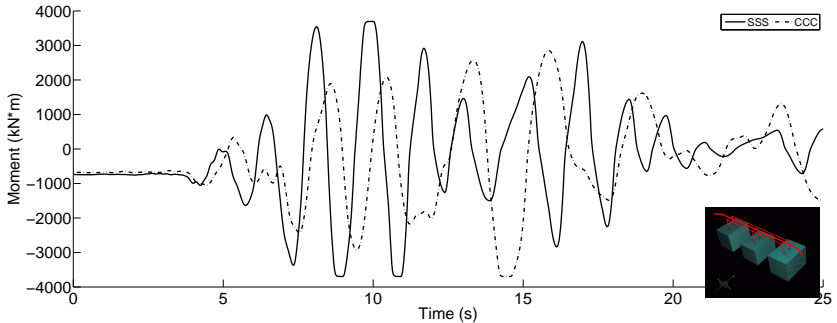
Short Period E.: Left Bent, Structure and Soil, Acc.Sp.



Short Period E.: Left Bent, Structure and Soil, M.

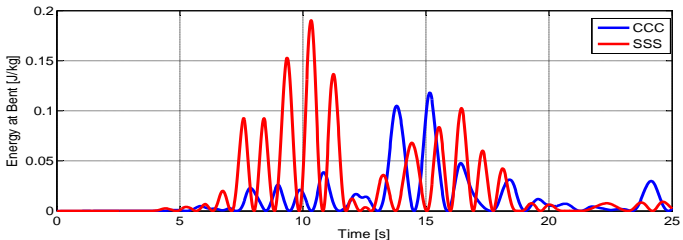
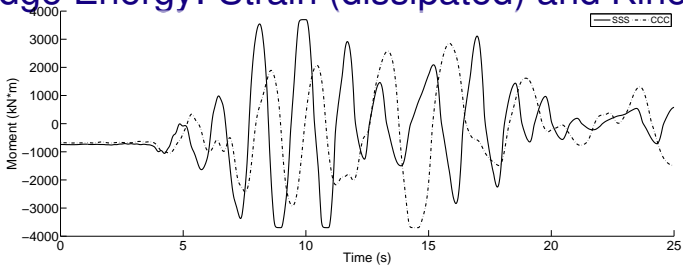


Short Period E.: Left Bent, Bending Moments

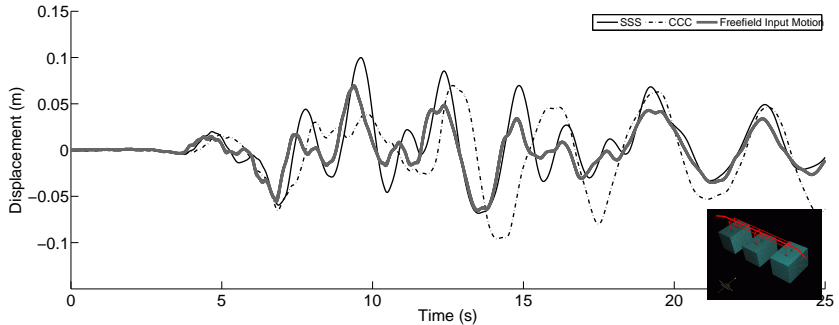


Behavior for Short Period Motions

Northridge Energy: Strain (dissipated) and Kinetic

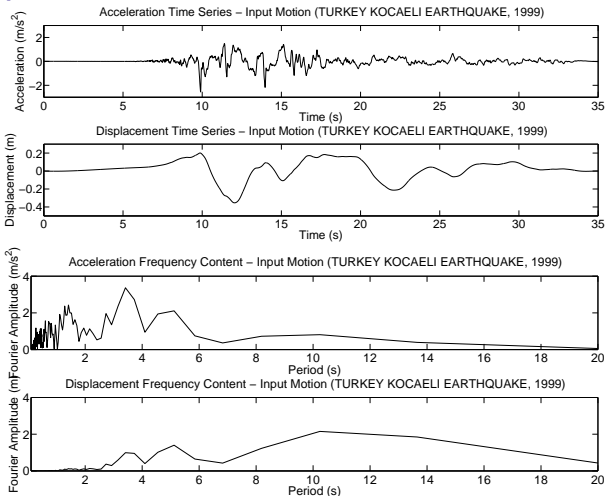


Short Period E.: Left Bent, Free Field vs Real Disp.

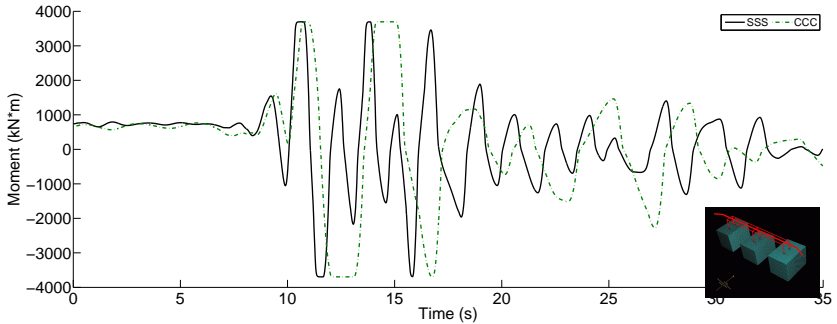


Behavior in Long Period Motions

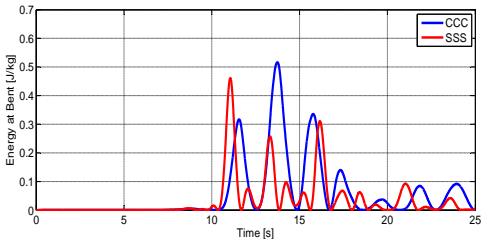
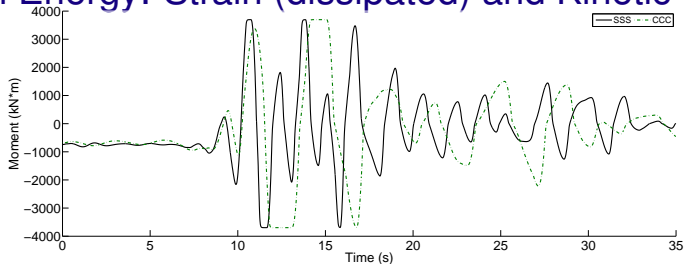
Kocaeli Input Motions



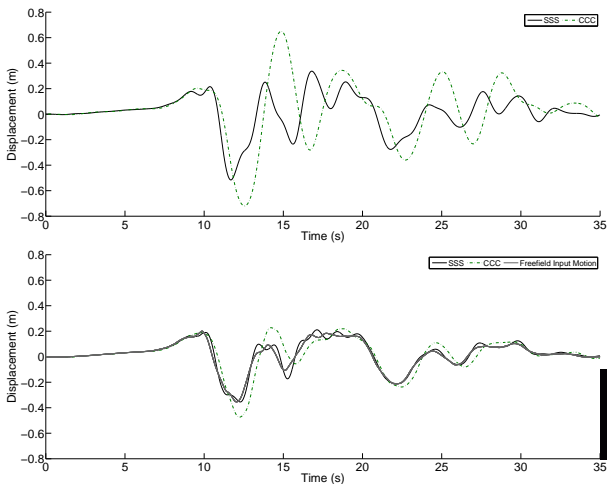
Long Period E.: Left Bent, Bending Moments.



Kocaeli Energy: Strain (dissipated) and Kinetic



Long Period E.: Left Bent, Structure and Soil, Disp.



Summary

- ▶ High fidelity numerical models of Earthquake–Soil–Structure systems
- ▶ Space and time distribution of the matching triad: Earthquake, Soil and Structure (**ESS**) and its interaction determines possible benefits or detriments